

## Algebraic mappings part 2

Whether you are a parent, teacher or home school educator, we've compiled examples of activities, games and puzzles which can be used to support the learning of algebra.

These examples are taken from the mapping packs found in our SMILE resource collection. The mathematical demand increases as you work through the packs. There are lots more ideas in the complete packs, which can be downloaded at <https://www.stem.org.uk/rxzec>

Answers to cards can be found at <https://www.stem.org.uk/rxxo5>

### Think of a number

Smile 0386



Try it with other numbers to find out.  
Try it on a friend.

Here is a new game.

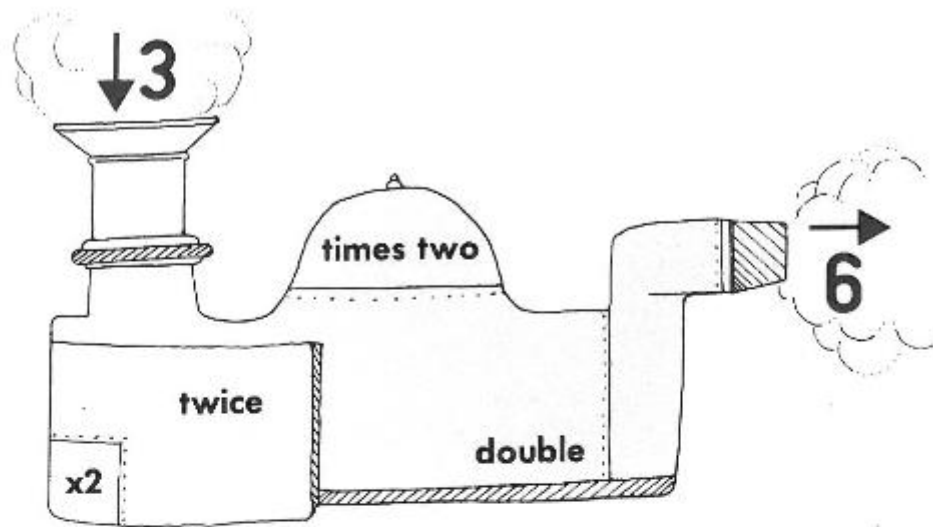
What number does  
it finish on?

Can you invent a  
game like this?

Think of a number  
Add 2  
Multiply by 3  
Subtract 6  
Divide by 3  
Subtract the number  
you first thought of

# Mapping Machines

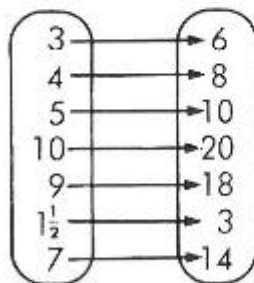
Smile 0173



This is a 'Double' machine.

- (1) When 4 goes in, what comes out?
- (2) If 20 comes out, what went in?

## Double



This diagram shows what the machine does to some numbers.

Draw another diagram to show what it does to some different numbers.

Draw different diagrams to show what happens to 3, 4, 5 and some other numbers when you use:-

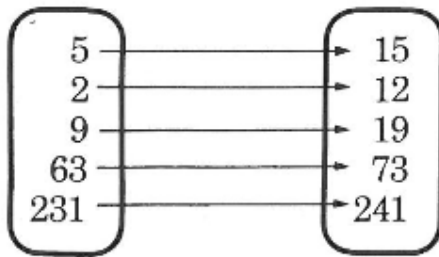
- (a) A 'treble' ( $\times 3$ ) machine
- (b) An 'add seven' machine
- (c) A 'subtract two' machine
- (d) A 'multiply by five and then add three' machine

## SMILE 0181

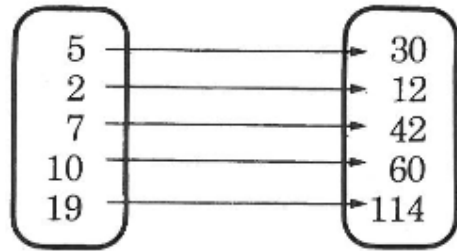
Can you find the rules for each of the function machines below?

Remember, in each question your machine must work for **every** pair of numbers.

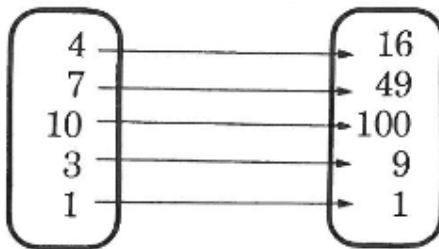
(1)



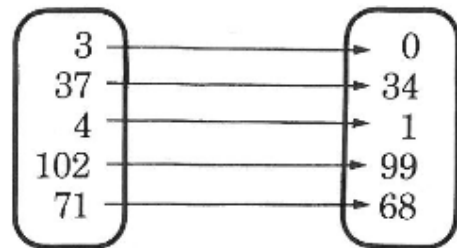
(2)



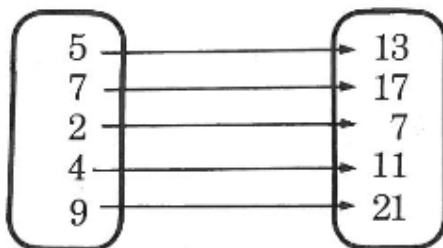
(3)



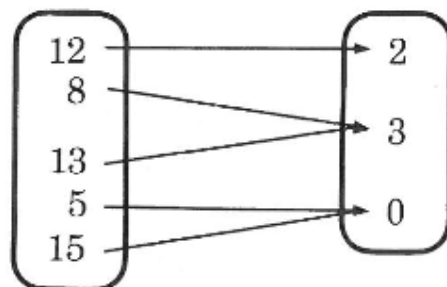
(4)



(5)



(6)

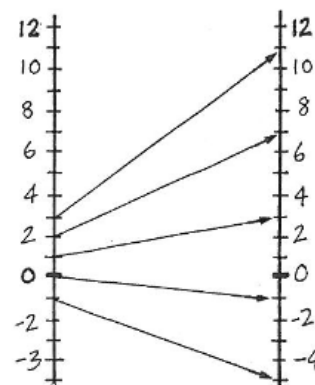
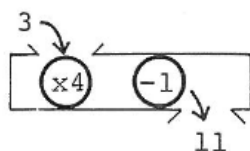


Make up some of your own and get a friend to try them.

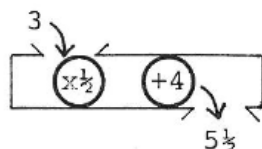
# Inverse Mappings

SMILE 0837

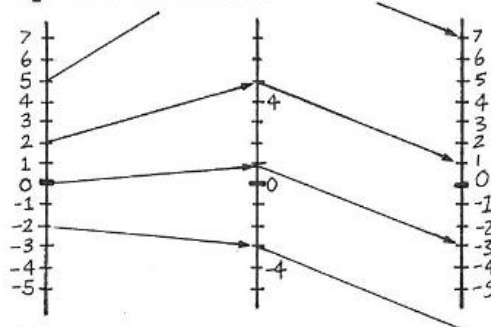
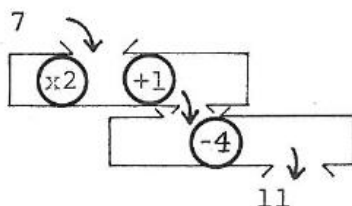
This mapping diagram shows what happens to numbers which are put through a machine like  $y \rightarrow 4y - 1$



- (1) Draw a mapping diagram to illustrate  $k \rightarrow \frac{1}{2}k + 4$

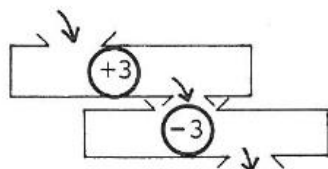


- (2) Here is a mapping diagram to show what happens to numbers put through this compound machine:



Copy and complete the mapping diagram.

- (3) What is the central number line used for?  
 (4)  $x \rightarrow 2x + 1$  describes the L.H. mapping (e.g.  $7 \rightarrow 15$ )  
 $x \rightarrow x - 4$  describes the R.H. mapping (e.g.  $15 \rightarrow 11$ )  
 What describes the combined mapping (e.g.  $7 \rightarrow 11$ )?  
 (5) Draw a mapping diagram with 3 number lines for this compound machine:



- (6) Your L.H. mapping should show  $x \rightarrow x + 3$   
 Your R.H. mapping should show  $x \rightarrow x - 3$   
 What does the combined mapping show?